

Manipulation of band gap upon photoexcitation of an excitonic insulator

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Semimetal - gap closure

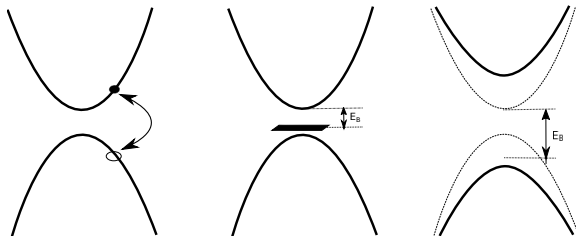
Model

Dynamics of gap closure

Semiconductor - gap enhancement

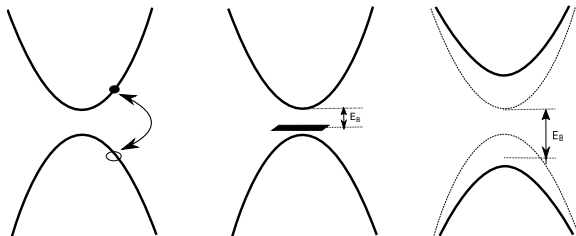
Semiconductor

- ▶ Exciton is a bound pair of electron and hole due to Coulomb interaction
- ▶ Excitonic insulator: spontaneous symmetry breaking due to Coulomb interaction predicted by Mott in the early 60's



Semiconductor

- ▶ Exciton is a bound pair of electron and hole due to Coulomb interaction
- ▶ Excitonic insulator: spontaneous symmetry breaking due to Coulomb interaction predicted by Mott in the early 60's
- ▶ Semiconductor and semimetal limit
- ▶ Experimental candidates: semiconducting(Ta_2NiSe_5) and semimetal($1T - TiSe_2$)



Semi-metal

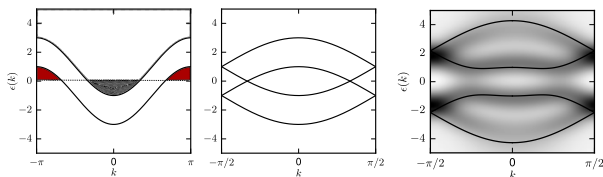
Two band spin-less fermions with longer range interaction

$$H = \sum_{k\alpha} (\epsilon_{k\alpha} + \Delta_\alpha) c_{k,\alpha}^\dagger c_{k,\alpha} + \frac{1}{2} \sum_{i,j} \sum_{\alpha\alpha'} V_{|i-j|}^{\alpha\alpha'} n_{i\alpha} n_{j,\alpha'}$$

$$H_{dip} = \sum_k A(t) c_{k,1}^\dagger c_{k,0} + H.c.$$

Symmetry breaking: spatial symmetry and charge conservation within the bands $\langle c_{k+Q,1}^\dagger c_{k,2} \rangle \neq 0$

Time dependent Hartree-Fock and GW approximation



$$\Sigma_k(t, t') = \text{diagram of a self-energy loop with a wavy line}$$

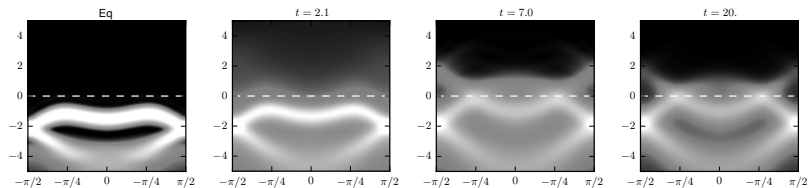
$$\Pi_k(t, t') = \text{diagram of a polarization loop with a wavy line}$$

Time dependent PES

$$I(\omega, t_p) = i \int dt dt' S(t) S(t') e^{i\omega(t-t')} G_k^<(t_p + t, t_p + t')$$

$S(t)$ is probe pulse envelope.

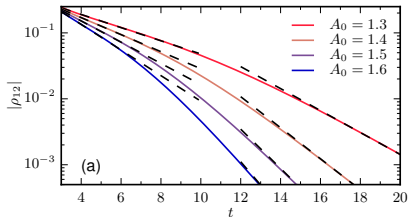
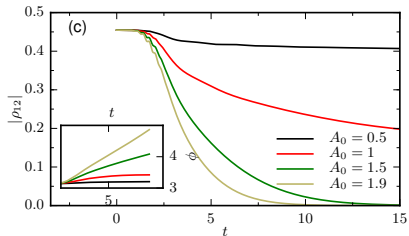
- ▶ Photo excitation with strong pulse
- ▶ Partial photoinduced population in the upper band
- ▶ Strong excitation close the gap, weak only partially



Dynamics of order parameter

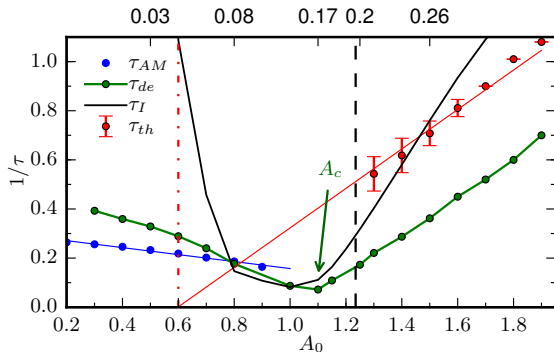
Order parameter $\langle c_{k+Q,1}^\dagger c_{k,2} \rangle$

- ▶ Reduction of the order parameter
- ▶ Different long time limit for weak(strong) excitations
- ▶ For strong excitation two time dynamics



Dynamical phase transition

- ▶ Prethermalization scenario: system is in the long lived trapped state
- ▶ Critical slowing down at nonthermal critical point
- ▶ Long time dynamics and thermal critical point: temperature vs doping
- ▶ Connection with PES



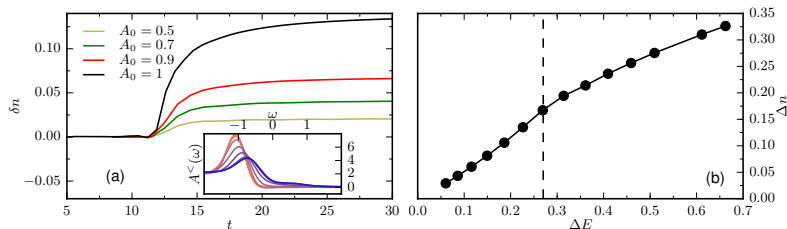
Gap closure

Transfer of kinetic energy to condensate

- ▶ Gap prevents fast recombination
- ▶ Intraband relaxation due to el.-el. scattering
- ▶ Impact ionization

Screening scenario

- ▶ Screening decrease the effective interaction



Screening

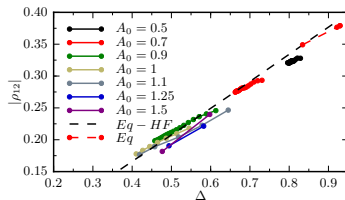
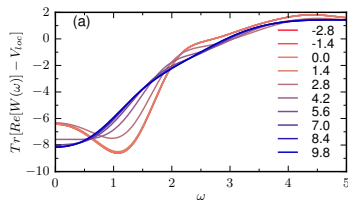
Frequency dependent interaction

$$W_q(\omega) = \epsilon_q(\omega)^{-1} V_q$$

- ▶ How to construct low energy model ?
- ▶ Which energy scale is responsible for gap dynamics

"Phenomenological" approach

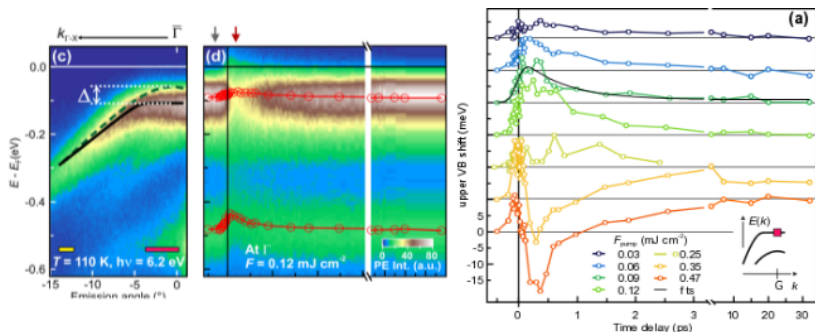
$$V_{eff} = \Delta / |\rho_{12}|$$



Semiconductor - gap enhancement

t-ARPES on Ta_2NiSe_5 :

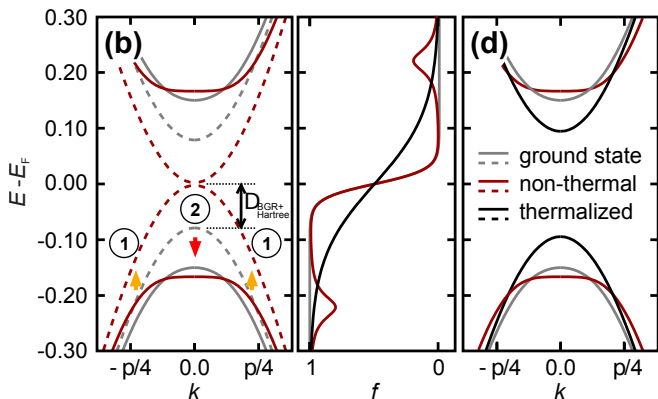
- ▶ Gap increase as one lowers temperature - possible excitonic insulator
- ▶ After photo-excitation momentum dependent renormalization of gap size
- ▶ Weak excitation vs strong excitations



Proposed mechanism

Hartree-Fock with nonthermal distribution function

- ▶ Fast intra-band relaxation of electrons
- ▶ Bottleneck due to presence of the gap
- ▶ Hartree shift leads to more resonating states at $k = 0$



Conclusions

Semimetal limit and gap closure

Semiconductor limit and gap manipulation

- ▶ Gap closure for semimetal: DG et.al., Phys. Rev. B 94, 035121 (2016)
- ▶ Selene Mor et.al., Band-gap enhancement in semiconductor limit: arXiv:1608.05586